# Erratum to: Adjacency Matrix based method to compute the node connectivity of a Computer Communication Network 

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#### Abstract

This note indicates that the algorithm, which has been proposed by Kamalesh Srivatsa in Adjacency Matrix based method to compute the node connectivity of a Computer Communication Network, is incorrect.


Keywords: Node Connectivity, Computation, Adjacency Matrix, Network.

## 1. Introduction

In "Adjacency Matrix based method to compute the node connectivity of a Computer Communication Network", Kamalesh and Srivatsa [1] have proposed a method to compute the connectivity number $\kappa$ of a given computer communication network. We show that the proposed method does not compute the $\kappa$ correctly for some graph. An example for this type graph is shown in the next section.

## 2. The Counter Example

The counter example of the algorithm as follows:


Fig. 1 network graph.

The nodes are numbered using the method [2]. The adjacency matrix of the graph is:
Table 1: Adjacency matrix of the graph

| Nodes | 1 | 2 | 3 | 4 | 5 | 6 | 7 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | - | 1 | 1 | 0 | 0 | 1 | 1 |
| 2 | - | - | 0 | 1 | 0 | 0 | 0 |
| 3 | - | - | - | 0 | 1 | 0 | 0 |
| 4 | - | - | - | - | 0 | 1 | 0 |
| 5 | - | - | - | - | - | 0 | 1 |
| 6 | - | - | - | - | - | - | 0 |
| 7 | - | - | - | - | - | - | - |

For the given network graph, the degree d is 2. $\mathrm{L}_{1}=\{1,2,3\}$. Corresponding to the nodes of $\mathrm{L}_{1}$, create counters $\mathrm{A}[1], \mathrm{A}[2]$ and $\mathrm{A}[3]$ respectively and initialize them to zero, i.e.,
$\mathrm{A}[1]=0, \mathrm{~A}[2]=0, \mathrm{~A}[3]=0$.
Form the set $\mathrm{L}_{2}$ consisting of remaining nodes of the given network $N(V, E)$, i.e., $L_{2}=\{4,5,6,7\}$. Corresponding to the nodes of $\mathrm{L}_{2}$, create counters $\mathrm{B}[4], \mathrm{B}[5], \mathrm{B}[6], \mathrm{B}[7]$ and initialize them to zero, i.e., $\mathrm{B}[4]=0, \mathrm{~B}[5]=0 . \mathrm{B}[6]=0, \mathrm{~B}[7]=0$.

Starting from node 1 , check for the adjacency of node 1 with every other node.

Here, node 1 is adjacent to node 2 . Increment the counters $\mathrm{A}[1]$ and $\mathrm{A}[2]$ by 1 respectively, i.e.,
$\mathrm{A}[1]=0+1=1$
$\mathrm{A}[2]=0+1=1$

Next, node 1 is adjacent to node 3. Hence, increment $A[1]$ and $\mathrm{A}[3]$ by 1 respectively, i.e.,
$\mathrm{A}[1]=1+1=2$
$\mathrm{A}[3]=0+1=1$

Next, node 1 is adjacent to node 6. Hence, increment $A[1]$ and $\mathrm{B}[6]$ by 1 respectively, i.e.,
$\mathrm{A}[1]=2+1=3$
$\mathrm{B}[6]=0+1=1$
Node 1 is also adjacent to node 7. Hence, increment $A[1]$ and $\mathrm{B}[7]$ by 1 respectively, i.e.,
$\mathrm{A}[1]=3+1=4$
$\mathrm{B}[7]=0+1=1$

Check for the adjacency of node 2. Here, node 2 is adjacent to node 4 . Therefore, increment $\mathrm{A}[2]$ and $\mathrm{B}[4]$ by 1, i.e.,
$\mathrm{A}[2]=1+1=2$
$\mathrm{B}[4]=0+1=1$
Check for the adjacency of node 3. Here, node 3 is adjacent to node 5. Hence increment $\mathrm{A}[3]$ and $\mathrm{B}[5]$ by 1 , i.e.,
$\mathrm{A}[3]=1+1=2$
$B[5]=0+1=1$
Check for the adjacency of node 4 . Node 4 is adjacent to node 6 . Hence increment $\mathrm{B}[4]$ and $\mathrm{B}[6]$ by 1 , i.e.,
$B[4]=1+1=2$
$\mathrm{B}[6]=1+1=2$
Check for the adjacency of node 5 . Node 5 is adjacent to node 7. Hence increment $\mathrm{B}[5]$ and $\mathrm{B}[7]$ by 1, i.e.,
$\mathrm{B}[5]=1+1=2$
$\mathrm{B}[7]=1+1=2$
After checking all the nodes for their adjacencies, now check the values stored in the counters corresponding to the nodes of the given network.

$$
\begin{aligned}
& \mathrm{A}[1]=4 \\
& \mathrm{~A}[2]=2 \\
& \mathrm{~A}[3]=2 \\
& \mathrm{~B}[4]=2 \\
& \mathrm{~B}[5]=2 \\
& \mathrm{~B}[6]=2 \\
& \mathrm{~B}[7]=2
\end{aligned}
$$

The minimum amongst the values stored in the counters corresponding to all the nodes of the given network is 2 . Hence, the network is 2-connected according to the algorithm.

But as one can see, the network is 1-connected. This example shows that the algorithm is not work correctly.

## 3. Conclusions

In this paper, with the aid of the counter example we show that the node connectivity algorithm which has been proposed by Kamalesh and Srivatsa, is incorrect.

## References

[1] Kamalesh V. N and S. K. Srivatsa, Adjacency Matrix based method to compute the node connectivity of a Computer Communication Network, International Journal of Computer Science Issues, Vol. 7, No. 2, 2010.
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